



# Design and power PK/PD experiments using very sparse data

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# Background

- The optimal design of population PK/PD studies is crucial to maximize the efficiency and information-gathering of pharmacological experiments
- The objective of optimal design is to define the best number/timing of samples, dose(s), number of subjects and groups in the trial
- Both simulation-based and analytical (Population Fisher Information Matrix) method have been proposed for evaluation/optimization of population designs

# The Problem

Feasibility might limit the number of samples in PK/PD experiment to one per subject

- Dosimetry (imaging studies) / Ethical reasons in humans
- Destructive sampling in preclinical studies (binding)

The optimal design methods assume both PK/PD model parameters values (and variability) as known

Often PK/PD parameters are guessed based on:

- PK, pKi, and additional information (binding in other species, other biomarkers, etc.)

# Objective

To develop a method to design and power very sparse PK/PD experiments\* accounting for inter-individual variability on PK and PD measurements and uncertainty on structural model parameters<sup>^</sup>

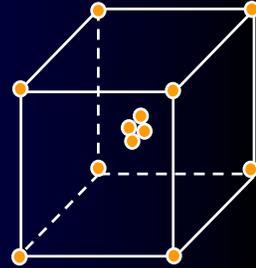
\* one PK/PD sample per subject

<sup>^</sup> assumed known in an interval

*Focus is on population averages ( $\theta$ ). Compelling evidence proving it is not possible to obtain realistic variability estimates ( $\eta$ ) with one sample/subject*

# Method Strategy

- 1) Set plausibility bounds for the unknown parameters (generate a hypercube in which the true parameters should fall)
- 2) Optimize the Population Fisher Information Matrix (Retout et al. 2001) for the vertexes of the hypercube
- 3) Join the local optimal designs to define a global design
- 4) Evaluate the bias/precision of the global design using Monte Carlo simulation assessing the impact of PK and PK/PD variability

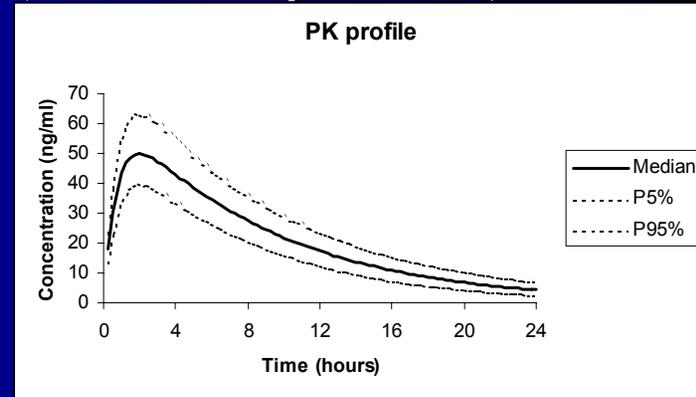


# Initial Hypotheses

→ PK parameters are assumed known (both  $\theta$ ,  $\eta$  and  $\sigma$ ) from previous experiments

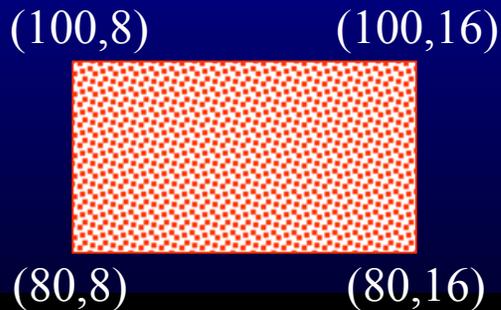
$$V = 47.6 \text{ l}, K_e = 0.115 \text{ h}^{-1}, K_a = 1.34 \text{ h}^{-1}$$

$$\eta = 10\% \text{ lognormal}, \sigma = 10\% \text{ lognormal}$$



→ The structure of PK/PD relationship is assumed (E<sub>max</sub>)

→ The PK/PD parameters are unknown but their bounds are available



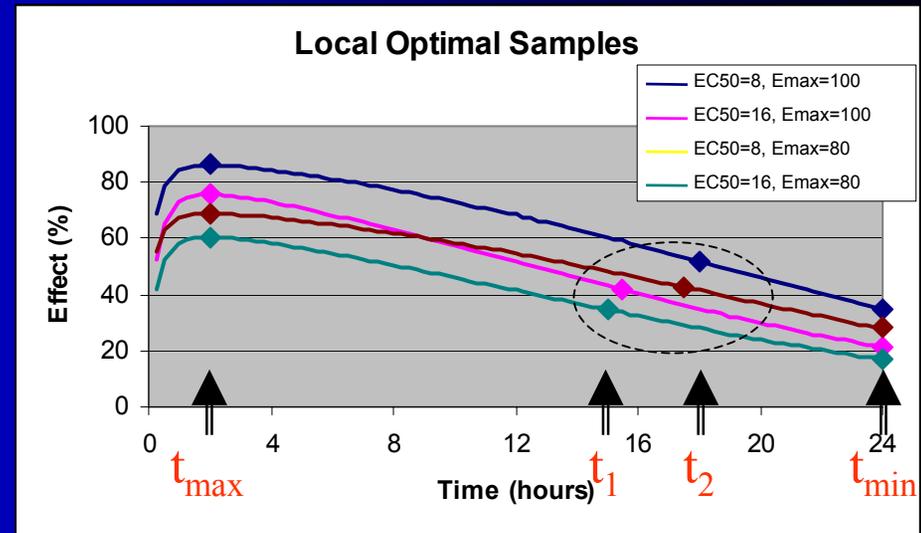
$$EC_{50} \in 8-16 \text{ ng/ml}$$

$$E_{\max} \in 80-100 \%$$

→ PD  $\eta$  (10% lognormal) and  $\sigma$  (25 additive)

# The Method

Selection of optimal local design (vertex) (1 sample/subject - 3 subjects) using PFIM & grid search. Assume error free PK but inter-individual variability and noise on PD



The 3 samples local designs differ for the intermediate point: global design is constructed taking the common samples and the lower and upper intermediate points (total 4 subjects)

The proposed optimal time-points are :  $[t_{max}, t_1, t_2, t_{min}]$   
corresponding  $\sim$  to  $[C_{max}, \max(EC_{50}), \min(EC_{50}), C_{min}]$

This design can be replicated (8, 12 ... subjects)

# Simulation Rationale

**Is the proposed design sufficient to yield unbiased ( $\theta$ ) estimates?**

**Is it possible to properly power the proposed design in order to obtain a predefined precision?**

**We answered to these questions in a simulation context**

# Simulations (Bias)

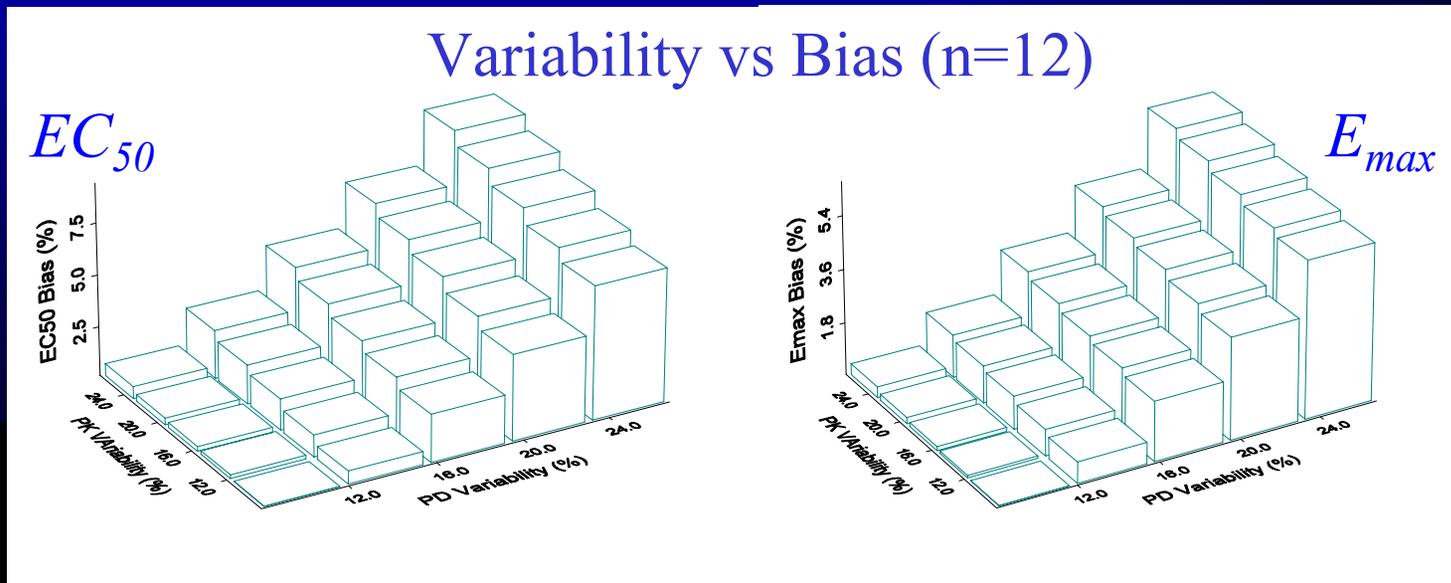
- Randomly select 20 ( $EC_{50}$ ,  $E_{max}$ ) pairs within the plausibility range
- For each ( $EC_{50}$ ,  $E_{max}$ ) pair generate 100 realizations of the sparse sampling design
- Estimate ( $EC_{50}$ ,  $E_{max}$ ) for each realization to evaluate bias of the proposed design
- Assess the impact of variability in PK (10-25%) and PD (10-25%) on the bias

# Simulations (Power)

- Use the selected 20 ( $EC_{50}$ ,  $E_{max}$ ) pairs
- Simulate different # of subjects (4, 8, 12, ...) and different levels of PK variability (10-25 %)
- Estimate 100 realizations of each ( $EC_{50}$ ,  $E_{max}$ ) pair to assess the precision obtained with the proposed design
- Change the PD variability (up to 25%)

# Results (Bias)

- The proposed method yields unbiased estimates even with the 4 subject design (with  $\eta = 10\%$  on the PD)
- Bias increases with increasing PK variability (but always NS)
- Change PD variability ( $\eta = 10 - 25\%$ ) changes significantly bias (16 subjects needed for unbiased estimates at top  $\eta$ )
- Combined increases in PD and PK variability amplifies the bias

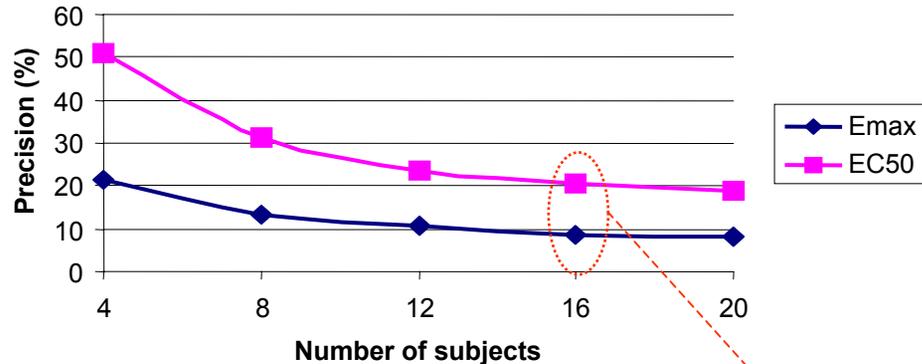


# Results (Power)

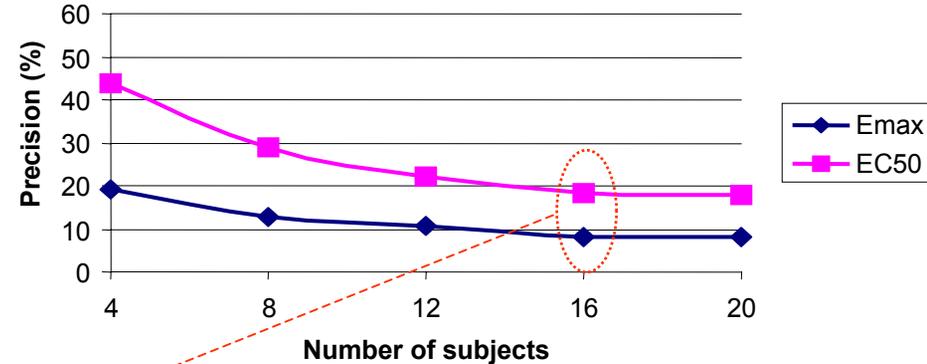
Monte Carlo simulations indicate that:

- 1) The influence of PK variability is small but significant
- 2) Precision increases with the number of subjects as a power law
- 3) Emax is always better estimated than EC50

Noisy PK ( $\eta=25\%$ ,  $\sigma=10\%$ )



Noisy PK ( $\eta=10\%$ ,  $\sigma=10\%$ )



E.g. precision 20% ( $E_{max}$ ,  $EC_{50}$ ) can be obtained with 4 replicates of the basic design and 1 PK/PD sample per subject (total  $n=16$ )

- 4) Change PD variability changes significantly precision (doubling  $\eta$  error  $\sim$  doubles)

# Conclusions

- A novel method has been proposed to optimally design population PK/PD experiments with very sparse sampling and a priori uncertainty on the parameters to be estimated
- The method is based on PFIM and grid search to select the optimal time-points. Monte Carlo simulations are used to estimate the power of experiments and assess the impact of different variability levels
- The results indicate that this method can be a valuable tool to optimally design and conduct pharmacological experiments with a minimal number of subjects and measurements/subject